CAT Quantitative Aptitude Practice Questions

Question 1:

For an odd number n, find the highest number that always divides $n \times (n2 - 1)$?

[1] 12

[2] 24

[3] 48

[4] 96

Question 2:

For every positive integer n, the highest number that $n \times (n2 - 1) \times (5n + 2)$ is always divisible by is

[1] 6

[2] 24

[3] 36

[4] 48

Question 3:

1 and 8 are the first two positive integers for which 1 + 2 + 3 + ... + n is a perfect square. Which number is the 4th such number?

Question 4:

If x and y are positive integers and $x^2 - y^2 = 101$, find the value of $x^2 + y^2$. [1] 5050 [2] 5150 [3] 5101 [4] None of these

Question 5:

The numbers 2604, 1020 and 4812 when divided by a number N give the same remainder of 12. Find the highest such number N.

Question 6:

A number when divided by 3, 4, 5, and 6 always leaves a remainder of 2, but leaves no remainder when divided by 7. What is the lowest such number possible?

Question 7:

How many natural numbers 'n' are there, such that 'n!' ends with exactly 30 zeroes?

- [1] 0
- [2] 1
- [3] 3
- [4] 4

Question 8:

n! has x number of zeros at the end and (n + 1)! has (x + 3) zeroes at the end. $1 \le n \le 1000$. How many solutions are possible for 'n'?

[1] 8

[2] 7

[3] 1

[4] 4

Question 9:

The sum of all the possible numbers of 4 digits formed by digits 3, 5, 5, and 6 using each digit once is

[1] 64427

[2] 63327

[3] 65297

[4] 43521

Question 10:

In how many ways 2 different numbers can be chosen using the numbers between 0 and 180 (both inclusive) so that 60 is their average?

[1] 50

[2] 60

[3] 80

[4] None of these

Question 11:

A Dubai based gangster Chhota Vakil is in Switzerland these days. He wants to rob a bank there, whose locker code according to his information is an odd number between 50 and 450. He also knows that the numbers are from the set :0, 1, 2, 3, 4, 5}. How many maximum trials does he have to take to unlock the locker?

[1] 54

[2] 72

[3] 78

[4] 106

Question 12:

A work was completed by three persons of equal ability, first one doing m hours for m days, second one doing n hours for n days (m and n being integers) and third one doing 16 hours for 16 days. The work could have been completed in 29 days by a third person alone with his respective working hours. If all of them do the work together with their respective working hours, then they can complete it in about

[1] 12 days

[2] 13 days

- [3] 14 days
- [4] 15 days

Question 13:

A and B do a work in exactly 16 days, B and C do the same work in exactly 12 days while C and A do the same work in about 10 days. If A, B and C can together do the work in integral number of days, then C does the work alone in

[1] 15 days

- [2] 16 days
- [3] 18 days
- [4] None of these

Question 14:

I sell 16 sheep at a gain of 12.5% and 20 more at a certain gain percent. If 1 gain 25% on the whole, how much percent gain did I make on the latter number?

- 1. 20%
- 2. 25%
- 3. 30%
- 4. 35%

Question 15:

A bike costs Rs.48000. Its value depreciates by 30% in the first year and in each subsequent year the depreciation is 20% of the value at the beginning of that year. The value of the bike after 3 years will be

- 1. Rs.21504
- 2. Rs.26880
- 3. Rs.38400
- 4. Rs.39480