

MARKING SCHEME BSEH PRACTICE PAPER 1, 10TH MATHS(Standard) , March2025 (ENGLISH MEDIUM)		
Q. no.	Expected solutions	marks
Section-A		
1	(b)500	1
2	(a) both positive	1
3	(a) $x^2 - 4x + 3\sqrt{2} = 0$	1
4	((b)1	1
5	(c) ± 4	1
6	(c)7	1
7	(a) 30°	1
8	(a) $\frac{5}{2}$	1
9	(c) r^2 sq. units	1
10	(d) $\sqrt{6} : \sqrt{\pi}$	1
11	(b) 8 [use mode= 3median-2mean]	1
12	(b) 14	1
13	a =3	1
14	diameter	1
15	1	1
16	A+B= 90°	1
17	r^2 sq. units	1
18	$10+15 = 25$	1
19	(a)Both Assertion(A) and Reason (R) are true and Reason (R) is the correct explanation of Assertion(A).	1
20	(d) Assertion(A) is false but Reason(R) is true.	1
SECTION-B		
21. (a)	From the above question, we have the linear equations as, $2x + y = 23$ ------(i) $4x - y = 19$ ------(ii) Adding the equation (i) and (ii), $6x = 42$ $x = 7$ Substituting x value in (i), we get,	1/2

	$2(7) + y = 23$ $14 + y = 23$ $y = 23 - 14$ $y = 9$ <p>.....</p> <p>Substituting the values of x and y in $5y - 2x$ and $y/x - 2$, we get,</p> $5y - 2x = 5 \times 9 - 2 \times 7$ $= 45 - 14$ $= 31$ <p>.....</p> $y/x - 2 = 9/7 - 2$ $= -5/7.$	<p>1/2</p> <p>1/2</p> <p>1/2</p>
<p>21. (b)</p>	<p>In the above equation $a_1 = 4$, $a_2 = 2$, $b_1 = p$ and $b_2 = 2$.</p> <p>.....</p> <p>If the solution of a pair of linear equations is unique, then</p> $a_1/a_2 \neq b_1/b_2$ <p>.....</p> $4/2 \neq p/2$ <p>.....</p> $4 \neq p$ <p>Thus, the pair of linear equations has a unique solution for all values of p except 4</p>	<p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p>
<p>22.</p>	<p>Given, $DE \parallel AB$ We have to find the value of x. From the figure, $CD = x + 3$ $AD = 3x + 19$ $CE = x$ $BE = 3x + 4$ \therefore By Basic Proportionality Theorem $CD/DA = CE/EB$</p> <p>.....</p> $\Rightarrow (x+3)/(3x+19) = x/(3x+4)$ <p>On cross multiplication,</p>	<p>1/2</p> <p>1/2</p>

$$(x+3)(3x+4) = x(3x+19)$$

.....
By multiplicative and distributive property,

$$3x^2 + 4x + 9x + 12 = 3x^2 + 19x$$

Cancelling out common terms,

$$13x + 12 = 19x$$

.....

By grouping,

$$13x - 19x = -12$$

$$-6x = -12$$

$$x = 12/6$$

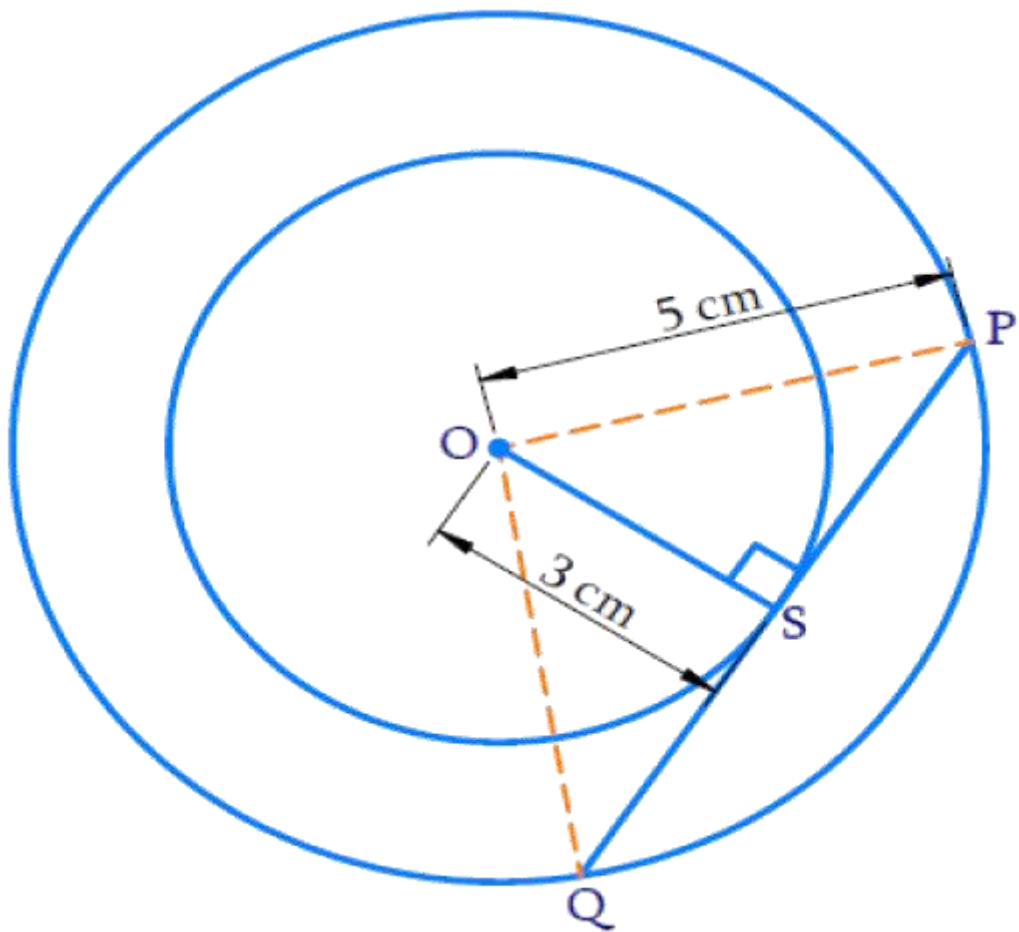
$$x = 2$$

Therefore, the value of x is 2.

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1/2

23. The chord of the larger circle is a tangent to the smaller circle as shown in the figure below.



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	<p>PQ is a chord of a larger circle and a tangent of a smaller circle. Tangent PQ is perpendicular to the radius at the point of contact S. Therefore, $\angle OSP = 90^\circ$ In $\triangle OSP$ (Right-angled triangle) By the Pythagoras Theorem, $OP^2 = OS^2 + SP^2$ $5^2 = 3^2 + SP^2$ $SP^2 = 25 - 9$ $SP^2 = 16$ $SP = \pm 4$ SP is the length of the tangent and cannot be negative Hence, $SP = 4$ cm.</p> <p>.....</p> <p>QS = SP (Perpendicular from center bisects the chord considering QP to be the larger circle's chord) Therefore, $QS = SP = 4$cm Length of the chord PQ = $QS + SP = 4 + 4$ PQ = 8 cm Therefore, the length of the chord of the larger circle is 8 cm.</p>	<p>1</p> <p>1/2</p>
<p>24. (a)</p>	<p>$\sin(A - B) = 1/2 \Rightarrow \sin(A-B) = \sin(30^\circ) \Rightarrow A - B = 30^\circ \dots(1)$</p> <p>.....</p> <p>$\cos(A + B) = 1/2 \Rightarrow \cos(A + B) = \cos(60^\circ) \Rightarrow A + B = 60^\circ \dots(2)$</p> <p>.....</p> <p>On Adding Eq. (1) and (2), we get $2A = 90^\circ \Rightarrow A = 45^\circ$</p> <p>.....</p> <p>Now, Putting the value of A in Eq.(2), we get $45^\circ + B = 60^\circ \Rightarrow B = 15^\circ$</p> <p>Hence, $A = 45^\circ$ and $B = 15^\circ$</p>	<p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p>
<p>24. (b)</p>	<p>We have , $a^2/x^2 - b^2/y^2$ $= a^2/a^2\sin^2\theta - b^2/b^2\tan^2\theta$ [$\because x = a\sin\theta, y = b\tan\theta$]</p>	<p>1/2</p>

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$$=1/\sin^2\theta-1/\tan^2\theta$$

.....

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$$=\operatorname{cosec}^2\theta-\cot^2\theta$$

.....

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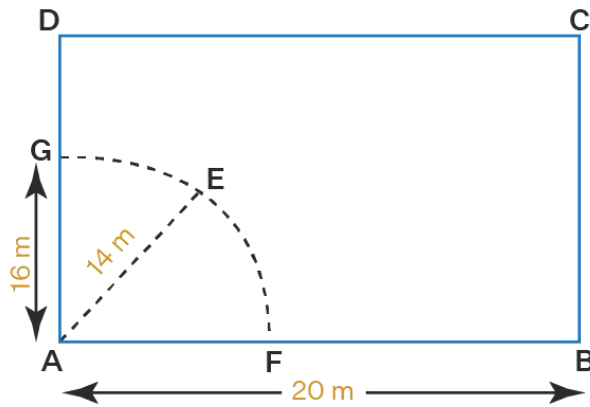
$$[\because 1+\cot^2\theta=\operatorname{cosec}^2\theta.\therefore \operatorname{cosec}^2\theta-\cot^2\theta=1]$$

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$$=1$$

25. Given, rectangular field of dimension 20m × 16m
 A cow is tied with a rope of length 14 m at the corner of the rectangular field.
 We have to find the area of the field in which the cow can graze.



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Let ABCD be the rectangular field.
 From the figure,
 We observe that the area that the cow can graze is in the form of a sector of a circle.

So, AGEF is a sector of a circle with radius 14 m.

$$\text{Area of sector} = \pi r^2\theta/360^\circ$$

$$\text{Here, } \theta = 90^\circ$$

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$$\text{Area of sector} = (22/7)(14)^2(90^\circ/360^\circ)$$

$$= (22)(2)(14)(1/4)$$

$$= (22)(14)(1/2)$$

$$= 11(14)$$

1/2

	<p>.....</p> <p>= 154 m²</p> <p>Therefore, the area in which the cow can gaze is 154 m².</p>	1/2
SECTION-C		
26.	<p>Let us assume that</p> <p>$3-2\sqrt{5}$ is rational.</p> <p>.....</p> <p>Hence it can be written in the form</p> <p>$\frac{a}{b}$ where a and b are co-prime and $b \neq 0$</p> <p>Hence $3-2\sqrt{5} = \frac{a}{b}$</p> <p>.....</p> $\Rightarrow 2\sqrt{5} = 3 - \frac{a}{b} = \frac{3b-a}{b}$ <p>.....</p> $\Rightarrow \sqrt{5} = \frac{3b-a}{2b}$ <p>.....</p> <p>where $\sqrt{5}$ is irrational and $\frac{3b-a}{2b}$ is rational.</p> <p>because irrational number \neq rational number</p> <p>.....</p> <p>Therefore the above is a contradiction.</p> <p>So our assumption is wrong.</p> <p>Hence $3-2\sqrt{5}$ is irrational.</p>	<p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p>
27.	<p>since α and β are the zeroes of the polynomial</p> <p>$f(x)=2x^2 -7x +3$</p> <p>$\therefore \alpha + \beta = -\left(\frac{-7}{2}\right) = \frac{7}{2}$ and $\alpha\beta = \frac{3}{2}$</p> <p>.....</p> <p>Now $\alpha^2 + \beta^2 = (\alpha + \beta)^2 - 2\alpha\beta$</p>	<p>1</p> <p>1</p>

.....
 As per the question,
 $(10x + y) + (10y + x) = 66$
 $\Rightarrow 11(x + y) = 66$
 $\Rightarrow x + y = 6$ (1)

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.....
 Also, it is given that the difference between the two digits is 2.
 $x - y = 2$ (2)

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.....
 or $y - x = 2$ (3)
 When $x - y = 2$

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.....
 Subtracting equation (2) from equation (1).
 $(x + y) - (x - y) = 6 - 2$
 $2y = 4$
 $y = 2$ and $x = 4$.
 \therefore The two digit number is $10x + y = 40 + 2 = 42$.

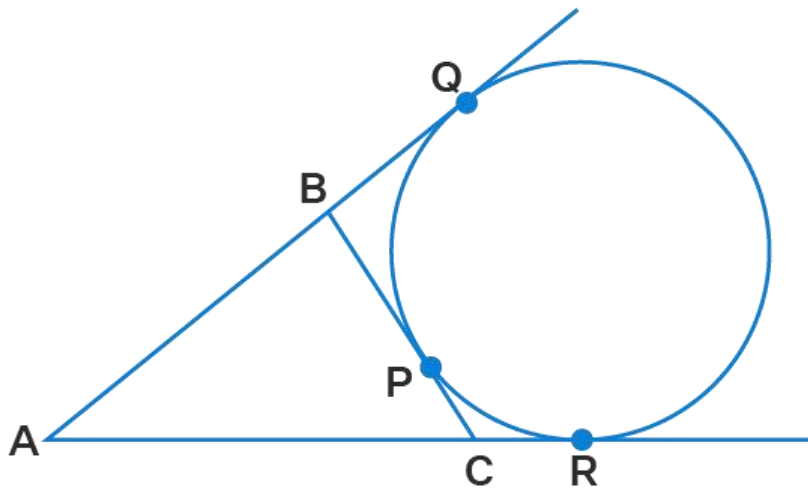
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.....
 When $y - x = 2$
 Subtracting equation (3) from equation (1).
 $(x + y) - (y - x) = 6 - 2$
 $2x = 4$
 $x = 2$ and $y = 4$
 \therefore The two digit number is $10y + x = 20 + 4 = 24$

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Thus, the two digits are 42 and 24

29.



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 Given: A circle touching the side BC of ΔABC at P and AB, AC produced at Q and R respectively.

To Prove: $AQ = \frac{1}{2}(\text{Perimeter of } \Delta ABC)$

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 Proof: Lengths of tangents drawn from an external point to a circle are equal.

$$\Rightarrow AQ = AR, BQ = BP, CP = CR.$$

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 Perimeter of $\Delta ABC = AB + BC + CA$
 $= AB + (BP + PC) + (AR - CR)$

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 $= (AB + BQ) + (PC) + (AQ - PC) \quad [\because AQ = AR, BQ = BP, CP = CR]$

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.....
 $= AQ + AQ$
 $= 2AQ$
 $\Rightarrow AQ = \frac{1}{2}(\text{Perimeter of } \Delta ABC)$
 $\therefore AQ$ is the half of the perimeter of ΔABC .

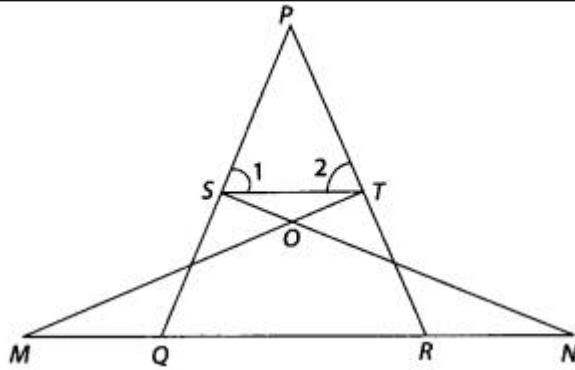
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30. $\sin\theta + \cos\theta = \sqrt{3}$

(a)	$\Rightarrow (\sin\theta + \cos\theta)^2 = 3$ $\Rightarrow \sin^2\theta + \cos^2\theta + 2\sin\theta\cos\theta = 3$ <p>.....</p> $\Rightarrow 1 + 2\sin\theta\cos\theta = 3$ $\Rightarrow 2\sin\theta\cos\theta = 2$ $\Rightarrow \sin\theta\cos\theta = 1$ <p>.....</p> $\Rightarrow \sin\theta\cos\theta = \sin^2\theta + \cos^2\theta$ $\Rightarrow 1 = \frac{\sin^2\theta + \cos^2\theta}{\sin\theta\cos\theta}$ <p>.....</p> $\Rightarrow \tan\theta + \cot\theta = 1$	<p>1</p> <p>1/2</p> <p>1</p> <p>1/2</p>
30. (b)	$\text{LHS} = \frac{\cot A - \cos A}{\cot A + \cos A}$ $= \frac{\frac{\cos A}{\sin A} - \cos A}{\frac{\cos A}{\sin A} + \cos A}$ <p>.....</p> $= \frac{\cos A \left(\frac{1}{\sin A} - 1 \right)}{\cos A \left(\frac{1}{\sin A} + 1 \right)}$ <p>.....</p> $= \frac{\operatorname{cosec} A - 1}{\operatorname{cosec} A + 1} = \text{RHS}$	<p>1</p> <p>1</p> <p>1</p>

	<p>.....</p> <p>On factoring, $x^2 - 15x + 6x - 90 = 0$ $x(x - 15) + 6(x - 15) = 0$ $(x + 6)(x - 15) = 0$ Now, $x + 6 = 0$ $x = -6$ Also, $x - 15 = 0$ $x = 15$</p> <p>.....</p> <p>Negative term $x = -6$ is neglected. So, $x = 15$ Therefore, Sunita scored 15 marks in the examination.</p>	<p>1+1</p> <p>1/2</p>
<p>32. (b)</p>	<p>Let the first integer be x. The next consecutive positive integer will be $x + 1$. According to the given question, the sum of squares of x and $x + 1$ is 365. </p> <p>$x^2 + (x + 1)^2 = 365$ $x^2 + (x^2 + 2x + 1) = 365$ [$\because (a + b)^2 = a^2 + 2ab + b^2$] $2x^2 + 2x + 1 = 365$ $2x^2 + 2x + 1 - 365 = 0$</p> <p>.....</p> <p>$2x^2 + 2x - 364 = 0$ $2(x^2 + x - 182) = 0$ $x^2 + x - 182 = 0$</p> <p>.....</p> <p>$x^2 + 14x - 13x - 182 = 0$ $x(x + 14) - 13(x + 14) = 0$ $(x - 13)(x + 14) = 0$ $x - 13 = 0$ and $x + 14 = 0$ $x = 13$ and $x = -14$</p> <p>.....</p> <p>The value of x cannot be negative (because it is given that the integers are positive). Thus, we ignore $x = -14$. $\therefore x = 13$ and $x + 1 = 14$</p>	<p>1/2</p> <p>1</p> <p>1</p> <p>1+1</p> <p>1/2</p>

33.
(a)



Given $\triangle NSQ \cong \triangle MTR$ and $\angle 1 = \angle 2$
 To prove : $\triangle PTS \sim \triangle PRQ$

Proof : Since, $\triangle NSQ \cong \triangle MTR$

So, $SQ = TR$ (i)

Also, $\angle 1 = \angle 2 \Rightarrow PT = PS$ (ii)

[since, sides opposite to equal angles are also equal]

From Eqs.(i) and (ii), $PS/SQ = PT/TR$

$\Rightarrow ST \parallel QR$ [by converse of basic proportionality theorem]

$\therefore \angle 1 = \angle PQR$ [Corresponding angles]

and $\angle 2 = \angle PRQ$

In $\triangle PTS$ and $\triangle PRQ$,

$\angle P = \angle P$ [common angles]

$\angle 1 = \angle PQR$

$\angle 2 = \angle PRQ$

$\therefore \triangle PTS \sim \triangle PRQ$ [by AAA similarity criterion]

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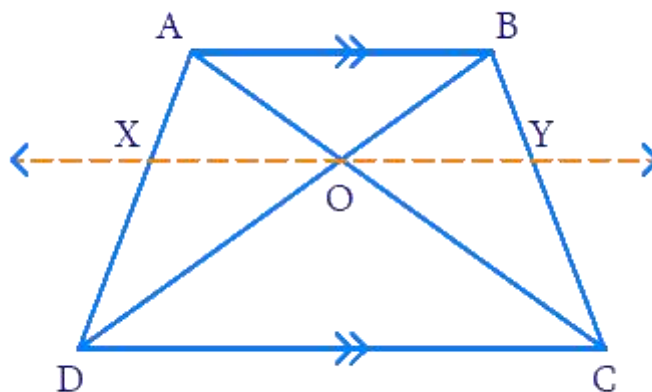
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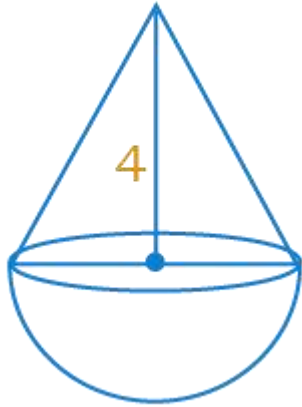
33.
(b)

Consider the trapezium ABCD as shown below.



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	<p>.....</p> <p>In trapezium ABCD, $AB \parallel CD$ Also, AC and BD intersect at point O. Construct XY parallel to AB and CD ($XY \parallel AB, XY \parallel CD$) through point O</p> <p>.....</p> <p>In $\triangle ABC$ $OY \parallel AB$ (construction) According to Basic Proportionality Theorem $BY/CY = AO/OC$..... (1)</p> <p>.....</p> <p>In $\triangle BCD$ $OY \parallel CD$ (construction) According to Basic Proportionality Theorem $BY/CY = OB/OD$..... (2)</p> <p>.....</p> <p>From equations (1) and (2) $OA/OC = OB/OD$</p> <p>.....</p> <p>$\Rightarrow OA/OB = OC/OD$ Hence proved.</p>	<p>1</p> <p>1</p> <p>1</p> <p>1/2</p> <p>1/2</p>
<p>34 (a)</p>	<p>The height and diameter of the base of the cone is 4 cm and 8 cm. We have to find the volume of the toy. We have to find the difference of the volumes of the cube and the toy and total surface area of the toy.</p>	



Diameter of base of cone = diameter of hemisphere = 8 cm
 Radius = $8/2 = 4$ cm

.....

$$\begin{aligned} \text{Volume of hemisphere} &= \frac{2}{3}\pi r^3 \\ &= \frac{2}{3}\left(\frac{22}{7}\right)(4)^3 \\ &= 134.095 \text{ cm}^3 \end{aligned}$$

.....

$$\begin{aligned} \text{Volume of the cone} &= \frac{1}{3}\pi r^2 h \\ &= \frac{1}{3}\left(\frac{22}{7}\right)(4)^2(4) \\ &= 67.047 \text{ cm}^3 \end{aligned}$$

.....

$$\begin{aligned} \text{Volume of the toy} &= \text{volume of hemisphere} + \text{volume of cone} \\ &= 134.095 + 67.047 \\ &= 201.142 \text{ cm}^3 \end{aligned}$$

Therefore, the volume of the toy is 201.42 cm^3

.....

Given, a cube circumscribes the toy
 So, the edge of the cube = diameter of the hemisphere = 8 cm
 Volume of cube = a^3

$$= (8)^3$$

$$= 512 \text{ cm}^3$$

.....

Difference in volume of cube and toy = volume of cube - volume of toy

$$= 512 - 201.142$$

$$= 310.858 \text{ cm}^3$$

.....

Curved surface area of the cone = $\pi r l$

Slant height, $l = \sqrt{h^2 + r^2} = \sqrt{4^2 + 4^2} = \sqrt{32} = 5.657 \text{ cm}$

.....

Curved surface area of the cone = $(22/7)(4)(5.657)$

$$= 71.117 \text{ cm}^2$$

.....

Curved surface area of hemisphere = $2\pi r^2$

$$= 2(22/7)(4)^2$$

$$= (44/7)(16)$$

$$= 100.571 \text{ cm}^2$$

.....

Total surface area of the toy = curved surface area of the cone + curved surface area of hemisphere.

$$= 71.117 + 100.571$$

$$= 171.688 \text{ cm}^2$$

Therefore, the total surface area of the toy is 171.688 cm^2 .

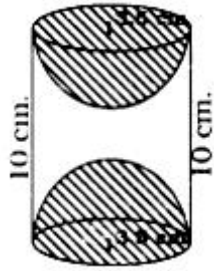
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34.
(b)



Radius of base of cylinder, $r = 3.5$ cm Height, $h = 10$ cm.

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Total area of article = Curved Surface area of Cylinder + $2 \times$ Curved Surface area of Hemisphere =

.....
$$= 2\pi rh + 2 \times 2\pi r^2$$

.....

.....
$$= 2 \times \frac{22}{7} \times 3.5 \times 10 + 2 \times 2 \times \frac{22}{7} \times (3.5)^2$$

.....

.....
$$= 2 \times \frac{22}{7} \times 3.5 \times (10 + 7)$$

.....

.....
$$= 7 \times \frac{22}{7} \times (17)$$

$$= 374 \text{ cm}^2$$

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1

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35. (a)	Class Intervals	Frequency	Cumulative Frequency	
	0-100	2	2	
	100-200	5	7	
	200-300	x	7+x	
	300-400	12	19+x	
	400-500	17	36+x	
	500-600	20	56+x	
	600-700	y	56+x+y	1
	700-800	9	65+x+y	
	800-900	7	72+x+y	
	900-1000	4	76+x+y	
.....				
It is given that n=100				
So , 76 +x+y = 100 or x+y = 24.....(1)				1
.....				
The median is 525 which lies in the class 500-600				
So, l = 500, f= 20, cf =36 +x, h= 100				1
.....				
Using the formula: Median = $l + \left(\frac{\frac{n}{2} - cf}{f}\right) \times h$				1/2
.....				
$525 = 500 + \left(\frac{50-36-x}{20}\right) \times 100$				1/2

.....

$$525-500= (14-x)\times 5$$

$$25=70- 5x$$

$$5x= 70-25=45$$

$$x=9$$

.....

Therefore, from (1),we get $9+y =24$

$$y=15$$

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35.
(b)

Daily Wages(C.I.)	Class Mark (x_i)	No. of workers (f_i)	$f_i x_i$
100-120	110	12	1320
120-140	130	14	1820
140-160	150	8	1200
160-180	170	6	1020
180-200	190	10	1900
		$\Sigma f_i = 50$	$\Sigma f_i x_i =7260$

.....

$$\text{Mean daily wages} = \frac{\Sigma f_i x_i}{\Sigma f_i}$$

$$= \frac{7260}{50}$$

.....

$2\frac{1}{2}$

1

1

	= ₹ 145.2	1/2
SECTION-E		
36.	<p>(i) A.P. = 4, 7, 10, 13,</p> $d = 7 - 4 = 3$ $a_n = a + (n - 1)d$ $a_{15} = 4 + (15 - 1)3 = 4 + 42 = 46$ <p>.....</p> <p>(ii) A.P. = 4, 7, 10, 13,</p> $d = 7 - 4 = 3$ $a_n = a + (n - 1)d$ $136 = 4 + (n - 1)3$ $136 = 4 + 3n - 3$ $136 - 1 = 3n$ $\frac{135}{3} = n$ $n = 45$ <p>.....</p> <p>(iii)(a) A.P. = 4, 7, 10, 13,</p> $d = 7 - 4 = 3$ $a = 4$ $n = 30$ <p>.....</p> $S_{30} = \frac{30}{2} [2 \times 4 + (30 - 1)3]$ $S_{30} = 15 [8 + 29 \times 3]$	<p>1</p> <p>1</p> <p>1</p> <p>1</p>

	<p>$S_{30} = 15 \times 95 = 1425$</p> <p>.....</p> <p>(iii)(b) A.P. = 4, 7, 10, 13,</p> <p>$d = 7 - 4 = 3$</p> <p>$a = 4$</p> <p>.....</p> <p>$a_n = a + (n-1)d$</p> <p>$a_{20} = 4 + (20-1)3 = 4 + 19 \times 3 = 4 + 57 = 61$</p>	<p>1</p> <p>1</p>
37.	<p>(i) The coordinates of the vertices of ΔPQR are $P(4,6)$, $Q(3,2)$ and $R(6,5)$</p> <p>.....</p> <p>(ii)(a) $PQ = \sqrt{(3-4)^2 + (2-6)^2} = \sqrt{(-1)^2 + (-4)^2} = \sqrt{17} \text{ m}$</p> <p>$QR = \sqrt{(6-3)^2 + (5-2)^2} = \sqrt{(3)^2 + (3)^2} = \sqrt{18} \text{ m} = 3\sqrt{2} \text{ m}$</p> <p>.....</p> <p>(ii) (b) Let $S(x,y)$ be the point which divides the line segment joining points $P(4,6)$ and $R(6,5)$ in the ratio 2 : 1 internally.</p> <p>By section formula $S(x,y) = S \left(\frac{2 \times 6 + 1 \times 4}{2+1}, \frac{2 \times 5 + 1 \times 6}{2+1} \right)$</p> <p>.....</p> <p>$= S \left(\frac{12+4}{3}, \frac{10+6}{3} \right) =$</p> <p>$= S \left(\frac{16}{3}, \frac{16}{3} \right)$</p>	<p>1</p> <p>2</p> <p>1</p> <p>1</p>

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$$(iii) PQ = \sqrt{(3-4)^2 + (2-6)^2} = \sqrt{(-1)^2 + (-4)^2} = \sqrt{17} \text{ m}$$

$$QR = \sqrt{(6-3)^2 + (5-2)^2} = \sqrt{(3)^2 + (3)^2} = \sqrt{18} \text{ m} = 3\sqrt{2} \text{ m}$$

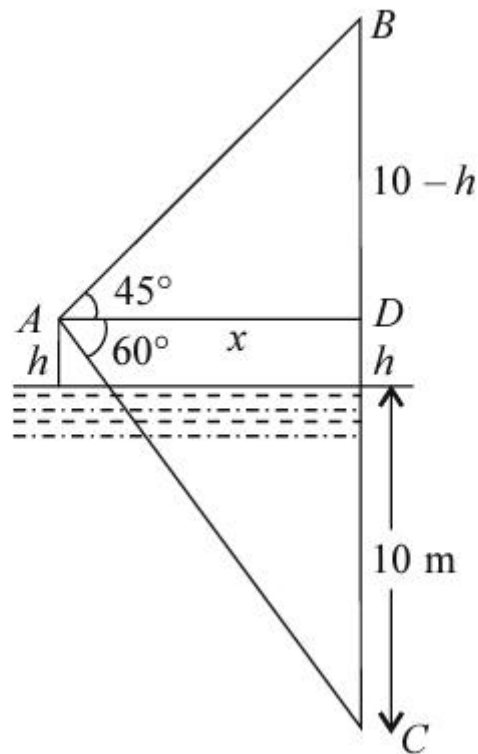
$$PR = \sqrt{(6-4)^2 + (5-6)^2} = \sqrt{(2)^2 + (-1)^2} = \sqrt{5} \text{ m}$$

$PQ \neq QR \neq PR$

$\therefore \Delta PQR$ is not an isosceles triangle but a scalene triangle.

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38. (i)



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(ii) In right ΔADB , $\tan 45^\circ = BD/AD$

$$\therefore AD = BD/\tan 45^\circ$$

$$AD = BD = OB - OD = (10 - h) \text{ m}$$

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In right $\triangle ADC$

$$\tan 60^\circ = CD/AD = (10 + h)/(10 - h)$$

$$\Rightarrow (10 + h)/(10 - h) = \sqrt{3}$$

$$\Rightarrow 10 + h = 10\sqrt{3} - \sqrt{3}h$$

$$\Rightarrow (\sqrt{3} + 1)h = 10(\sqrt{3} - 1)$$

$$\therefore h = 10(\sqrt{3} - 1)/(\sqrt{3} + 1)$$

$$h = 10(\sqrt{3} - 1)(\sqrt{3} - 1)/(\sqrt{3} + 1)(\sqrt{3} - 1)$$

$$h = 10(\sqrt{3} - 1)^2/2$$

$$\Rightarrow h = 2.67 \text{ m} \quad \text{using } \sqrt{3} = 1.73$$

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