



**Sol.** Potential of centre = V =

$$V_{\rm C} = \frac{K(\Sigma q)}{R}$$



$$V_{\rm C} = \frac{\mathrm{K}(0)}{\mathrm{R}} = 0$$

Electric field at centre  $\vec{E}_{B} = \Sigma \vec{E}$ 

Let E be electric field produced by each charge at the centre, then resultant electric field will be



 $E_{C} = 0$ , Since equal electric field vectors are acting at equal angle so their resultant is equal to zero.

4. An iron rod of volume 10<sup>-3</sup> m<sup>3</sup> and relative permeability 1000 is placed as core in a solenoid with 10 turns/cm. If a current of 0.5 A is passed through the solenoid, then the magnetic moment of the rod will be :

(1) $0.5 \times 10^2 \text{ Am}^2$	(2) $50 \times 10^2 \text{ Am}^2$
(3) $500 \times 10^2 \text{ Am}^2$	(4) $5 \times 10^2 \text{ Am}^2$

**Sol.**  $M = \mu_r NiA$ 

Here

 $\Sigma\left(\frac{\mathbf{kq}}{\mathbf{R}}\right)$ 

- $\mu_r$  = Relative permeability
- N = No. of turns
- i = Current

A = Aea of cross section

 $M = \mu_r NiA = \mu_r n\ell iA$ 

$$M = \mu_r niV = 1000(1000) \ 0.5 \ (10^{-3})$$
$$= 500 = 5 \times 10^2 \ Am^2$$

5. An infinitely long straight wire carrying current I, one side opened rectangular loop and a conductor C with a sliding connector are located in the same plane, as shown in the figure. The connector has length l and resistance R. It slides to the right with a velocity v. The resistance of the conductor and the self inductance of the loop are negligible. The induced current in the loop, as a function of separation r, between the connector and the straight wire is :



$$B = \frac{\mu_0 i}{2\pi r}$$
$$\phi = \frac{\mu_0 i}{2\pi r} \ell dr$$
$$\Rightarrow \frac{d\phi}{dt} = \frac{\mu_0 i \ell}{2\pi r} \cdot \frac{dr}{dt}$$
$$\Rightarrow e = \frac{\mu_0}{2\pi} \cdot \frac{i v \ell}{r}$$

 $i = \frac{e}{R} = \frac{\mu_0}{2\pi} \cdot \frac{iv\ell}{Rr}$ 

Sol.



$$i$$
  $r$   $dr$ 



The acceleration due to gravity on the earth's surface at the poles is g and angular velocity of the earth about the axis passing through the pole is  $\omega$ . An object is weighed at the equator and at a height h above the poles by using a spring balance. If the weights are found to be same, then h is : (h<<R, where R is the radius of the earth) (1)  $\frac{R^2\omega^2}{8g}$  (2)  $\frac{R^2\omega^2}{4g}$  (3)  $\frac{R^2\omega^2}{g}$  (4)  $\frac{R^2\omega^2}{2g}$ Official Ans. by NTA (4) **Sol.**  $g_e = g - R\omega^2$  $g_2 = g\left(1 - \frac{2h}{R}\right) \qquad g_1 = ge$  $g_2 = g - \frac{2gh}{D}$ 

Now  $R\omega^2 = \frac{2gh}{R}$ 

$$h = \frac{R^2 \omega^2}{2g}$$

7. Two coherent sources of sound,  $S_1$  and  $S_2$ , produce sound waves of the same wavelength,  $\lambda = 1$  m, in phase. S<sub>1</sub> and S<sub>2</sub> are placed 1.5 m apart (see fig.) A listener, located at L, directly in front of  $S_2$  finds that the intensity is at a minimum when he is 2m away from  $S_2$ . The listener moves away from  $S_1$ , keeping his distance from  $S_2$  fixed. The adjacent maximum of intensity is observed when the listener is at a distance d from  $S_1$ . Then, d is :



2m S. 2m1.5m Sol. S. Initially  $S_2L = 2m$  $S_1L = \sqrt{2^2 + (3/2)^2}$  $S_1L = \frac{5}{2} = 2.5 \text{ m}$  $\Delta x = S_1 L - S_2 L = 0.5 m$ So since  $\lambda = 1m$   $\therefore \Delta x = \frac{\lambda}{2}$ So while listener moves away from  $S_1$ Then,  $\Delta x = S_1L - S_2L$  increases and hence, at  $\Delta x = \lambda$  first maxima will appear.  $\Delta x = \lambda = S_1 L - S_2 L$  $1 = d - 2 \Rightarrow d = 3m$ A driver in a car, approaching a vertical wall notices that the frequency of his car horn, has changed from 440 Hz to 480 Hz, when it gets reflected from the wall. If the speed of sound in air is 345 m/s, then the speed of the car is (1) 36 km/hr (2) 24 km/hr (4) 54 km/hr (3) 18 km/hr Official Ans. by NTA (4) Sol.  $f_1$  = frequency heard by wall =  $f_s = \left(\frac{v_s}{v_s - v_s}\right)$  $f_2$  = frequency heard by driver after reflection from wall  $\mathbf{f}_2 = \left(\frac{\mathbf{v}_{\mathrm{s}} + \mathbf{v}_{\mathrm{c}}}{\mathbf{v}_{\mathrm{s}}}\right) \mathbf{f}_1 = \left(\frac{\mathbf{v}_{\mathrm{s}} + \mathbf{v}_{\mathrm{c}}}{\mathbf{v}_{\mathrm{s}} - \mathbf{v}}\right) \mathbf{f}_0$  $\frac{f_2}{f_0} = \frac{v_s - v_c}{v_s + v_c}$  $\frac{48}{44} = \frac{v_s - v_c}{v_s + v_c}$  $12(v_s + v_c) = 11(v_s - v_c)$  $23v_{c} = v_{s}$ / s v

8.

$$c = \frac{v_s}{23} = \frac{345}{23} = 15m$$
  
 $15 \times 18$ 

In an adiabatic process, the density of a diatomic gas becomes 32 times its initial value. The final pressure of the gas is found to be n times the initial pressure. The value of n is:

32

(4) 128

(1) 326 (2) 
$$\frac{1}{32}$$
 (3)

Official Ans. by NTA (4)

**Sol.** In adiabatic process  $PV^{\gamma} = constant$ 

$$P\left(\frac{m}{\rho}\right)^{\gamma} = \text{constant}$$

as mass is constant  $P \propto \rho^{\gamma}$ 

$$\frac{P_{\rm f}}{P_{\rm i}} = \left(\frac{\rho_{\rm f}}{\rho_{\rm i}}\right)^{\gamma} = (32)^{7/5} = 2^7 = 128$$

**10.** A radioactive nucleus decays by two different processes. The half life for the first process is 10 s and that for the second is 100s. the effective half life of the nucleus is close to:

Official Ans. by NTA	(1)		
(3) 6 sec	(4)	12	sec
(1) 9 sec	(2)	55	sec

Sol. 
$$A \xrightarrow{T_1} B$$
$$T_2 C$$
$$\frac{1}{T_{eff}} = \frac{1}{T_1} + \frac{1}{T_2}$$
$$T_{eff} = \frac{T_1 T_2}{T_1 + T_2} = \frac{1000}{110} = \frac{100}{11} = 9.09$$
$$T_{eff} \cong 9$$

11. A ring is hung on a nail. It can oscillate, without slipping or sliding (i) in its plane with a time period  $T_1$  and, (ii) back and forth in a direction perpendicular to its plane, with a period  $T_2$ . the

ratio 
$$\frac{T_1}{T_2}$$
 will be :  
(1)  $\frac{2}{\sqrt{3}}$  (2)  $\frac{\sqrt{2}}{3}$  (3)  $\frac{2}{3}$  (4)  $\frac{3}{\sqrt{2}}$ 



Moment of inertia in case (i) is  $I_1$ Moment of inertia in case (ii) is  $I_2$  $I_1 = 2MR^2$ 

$$I_2 = \frac{3}{2}MR^2$$
  
$$T_1 = 2\pi \sqrt{\frac{I_1}{Mgd}} \quad ; \quad T_2 = 2\pi \sqrt{\frac{I_2}{Mgd}}$$

$$\frac{T_1}{T_2} = \sqrt{\frac{I_1}{I_2}} = \sqrt{\frac{2MR^2}{\frac{3}{2}MR^2}} = \frac{2}{\sqrt{3}}$$

12. In the circuit shown, charge on the 5  $\mu$ F capacitor is :



- 13. In an experiment to verify Stokes law, a small spherical ball of radius r and density  $\rho$  falls under gravity through a distance h in air before entering a tank of water. If the terminal velocity of the ball inside water is same as its velocity just before entering the water surface, then the value of h is proportional to : (ignore viscosity of air) (1) r (2)  $r^4$ (3)  $r^3$ (4)  $r^2$ Official Ans. by NTA (2) Sol. After falling through h, the velocity be equal to terminal velocity  $\sqrt{2gh} = \frac{2}{9} \frac{r^2 g}{n} \left(\rho_\ell - \rho\right)$  $\Rightarrow h = \frac{2}{81} \frac{r^4 g \left(\rho_\ell - \rho\right)^2}{n^2}$  $\Rightarrow$  h  $\propto$  r<sup>4</sup>
- 14. Two different wires having lengths  $L_1$  and  $L_2$ , and respective temperature coefficient of linear expansion  $\alpha_1$  and  $\alpha_2$ , are joined end-to-end. Then the effective temperature coefficient of linear expansion is :

(1) 
$$4\frac{\alpha_1\alpha_2}{\alpha_1+\alpha_2}\frac{L_2L_1}{\left(L_2+L_1\right)^2}$$
 (2) 
$$2\sqrt{\alpha_1\alpha_2}$$
  
(3) 
$$\frac{\alpha_1+\alpha_2}{2}$$
 (4) 
$$\frac{\alpha_1L_1+\alpha_2L_2}{L_1+L_2}$$

Official Ans. by NTA (4)

Sol. At T°C 
$$L = L_1 + L_2$$
  
At T +  $\Delta T$   $L'_{eq} = L'_1 + L'_2$   
where  $L'_1 = L_1(1 + \alpha_1 \Delta T)$ 

$$\mathbf{L}_{2} = \mathbf{L}_{2}(1 + \alpha_{2}\Delta \mathbf{T})$$

$$L'_{eq} = (L_1 + L_2) (1 + \alpha_{avg} \Delta T)$$
  

$$\Rightarrow (L_1 + L_2) (1 + \alpha_{avg} \Delta T) = L_1 + L_2 + L_1 \alpha_1 \Delta T + L_2 \alpha_2 \Delta T$$
  

$$\Rightarrow (L_1 + L_2) \alpha_{avg} = L_1 \alpha_1 + L_2 \alpha_2$$

$$\Rightarrow \frac{L_1\alpha_1 + L_2\alpha_2}{L_1\alpha_1 + L_2\alpha_2}$$

**15.** The quantities 
$$x = \frac{1}{\sqrt{\mu_0 \in_0}}, y = \frac{E}{B}$$
 and

 $z = \frac{1}{CR}$  are defined where C-capacitance,

R-Resistance, *l*-length, E-Electric field, B-magnetic field and  $\in_0$ ,  $\mu_0$ ,-free space permittivity and permeability respectively. Then :

(1) Only x and y have the same dimension

(2) x, y and z have the same dimension

(3) Only x and z have the same dimension

(4) Only y and z have the same dimension

Official Ans. by NTA (2)

**Sol.** 
$$x = \frac{1}{\sqrt{\mu_0 \varepsilon_0}} = \text{speed} \implies [x] = [L^1 T^{-1}]$$

$$y = \frac{E}{B} = speed \implies [y] = [L^1 T^{-1}]$$

$$z = \frac{\ell}{RC} = \frac{\ell}{\tau} \Rightarrow [z] = [L^1 T^{-1}]$$

So, x, y, z all have the same dimensions.

- 16. A galvanometer is used in laboratory for detecting the null point in electrical experiments. If, on passing a current of 6mA it produces a deflection of 2°, its figure of merit is close to :
  - (1)  $3 \times 10^{-3}$  A/div.
  - (2) 333° A/div.
  - (3)  $6 \times 10^{-3}$  A/div.
  - (4) 666° A/div.

Official Ans. by NTA (1)

**Sol.** Figure of Merit = C = 
$$\frac{1}{\Theta}$$

$$= C = \frac{6 \times 10^{-3}}{3} = 3 \times 10^{-3} \,\mathrm{Am}^2$$



**18.** A spaceship in space sweeps stationary

interplanetary dust. As a result, its mass

increases at a rate  $\frac{dM(t)}{dt} = bv^2(t)$ , where v(t) is its instantaneous value its. The instantaneous

is its instantaneous velocity. The instantaneous acceleration of the satellite is:

$$(1) -\frac{2bv^3}{M(t)}$$

(2) 
$$-\frac{bv^3}{2M(t)}$$

$$(3) - bv^{3}(t)$$

 $(4) -\frac{bv^3}{M(t)}$ 

Official Ans. by NTA (4)

**Sol.** 
$$\frac{\mathrm{d}\mathbf{m}(t)}{\mathrm{d}t} = \mathrm{bv}^2$$

$$F_{\text{thast}} = v \frac{dm}{dt}$$

Force on statellile = 
$$-\vec{v} \frac{dm(t)}{dt}$$

$$M(t) a = -v (bv^2)$$









Breakdown Region So  $V_0 = V_i$  Then Now when V<sub>i</sub> changes between 4V to 6V One Zener with 4V will Breakdown are P.D. across This zener will become constant and Remaining Potential will drop. acro

Resistance in series with 4V Zener.

Now current in circuit increases Abruptly and source must have an internal resistance due to which. Some potential will get drop across the source also so correct graph between  $V_0$  and t. will be



We have to Assume some resistance in series

## 20. The correct match between the entries in column

I and column II are .

	Ι	II	
	Radiation	Wavelength	
	(a) Microwave	(i) 100m	
	(b) Gamma rays	(ii) 10 <sup>-15</sup> m	
	(c) A.M. radio waves	(iii) 10 <sup>-10</sup> m	
	(d) X-rays	(iv) 10-3 m	
	(1) (a)-(ii), (b)-(i), (c)-(iv), (d)-(iii)		
	(2) (a)-(i), (b)-(iii), (c)-(iv), (d)-(ii)		
	(3) (a)-(iii), (b)-(ii), (c)-(i), (d)-(iv)		
	(4) (a)-(iv), (b)-(ii), (c)-(i), (d)-(iii)		
	Official Ans. by NTA (4)		
Sol.	Energes of given Radiation can have		
	The following relation		
	$E_{\gamma-Rays} > E_{X-Rays} > E_{microv}$	wave > E <sub>AM Radiowaves</sub>	
	$\lambda_{\gamma-Rays} < \lambda_{X-Rays} < \lambda_{microwave} < \lambda_{AM Radiowaves}$		
	According To tres.		
	(a) Microwave $\rightarrow 10^{-3}$	m (iv)	
	(b) Gamma Rays $\rightarrow 10^{-15}$ m (ii)		
	(c) AM Radio wave $\rightarrow 100$ m (i)		
	(d) X-Rays $\rightarrow 10^{-10}$ m (	(iii)	
21.	The surface of a metal is	illuminated alternately	
	with photons of energies $E_1 = 4eV$ and $E_2 = 2.5 eV$ respectively. The ratio of maximum		
	speeds of the photoelectrons emitted in the two		
	cases is 2. The work fu	inction of the metal in	

Official Ans. by NTA (2.00) **Sol.**  $E_1 = \phi + K_1 \dots (1)$ 

(eV) is \_

$$E_1 = \varphi + R_1 \dots (1)$$

$$E_2 = \varphi + K_2 \qquad \dots (2)$$

$$E_1 - E_2 = K_1 - K_2$$
Now  $\frac{V_1}{V_2} = 2$ 

$$\frac{K_1}{K_2} = 4$$

$$K_1 = 4K_2$$
Now from equation (2)
$$\Rightarrow 4-2.5 = 4K_2 - K_2$$

$$1.5 = 3K_2$$

$$K_2 = 0.5eV$$
Now putting This
Value in equation (2)
$$2.5 = \varphi + 0.5eV$$

22. Nitrogen gas is at 300°C temperature. The temperature (in K) at which the rms speed of a H<sub>2</sub> molecule would be equal to the rms speed of a nitrogen molecule, is \_\_\_\_\_.
(Molar mass of N<sub>2</sub> gas 28 g)

Official Ans. by NTA (40.00 to 41.00)

Sol. 
$$V_{rms} = \sqrt{\frac{3RT}{M}}$$
  
 $V_{N_2} = V_{H_2}$   
 $\sqrt{\frac{3RT_{N_2}}{M_{N_2}}} = \sqrt{\frac{3RT_{H_2}}{M_{H_2}}}$   
 $\frac{573}{28} = \frac{T_{H_2}}{2} \implies T_{H_2} = 40.928$ 

23. A thin rod of mass 0.9 kg and length 1m is suspended, at rest, from one end so that it can freely oscillate in the vertical plane. A particle of move 0.1 kg moving in a straight line with velocity 80 m/s hits the rod at its bottom most point and sticks to it (see figure). The angular speed (in rad/s) of the rod immediately after the collision will be \_\_\_\_\_.



24. A body of mass 2kg is driven by an engine delivering a constant power 1J/s. The body starts from rest and moves in a straight line. After 9 seconds, the body has moved a distance (in m) \_\_\_ Official Ans. by NTA (18.00) P = constantu = 0Sol.  $\mathbf{x} = 0$ P = mav $m \frac{dv}{dt} v = P$  $\int_{0}^{v} v \, dv = \frac{P}{m} \int_{0}^{t} dt$  $\frac{v^2}{2} = \frac{Pt}{m} \Rightarrow v = \left(\frac{2Pt}{m}\right)^{1/2}$  $\frac{\mathrm{dx}}{\mathrm{dt}} = \sqrt{\frac{2P}{m}} t^{1/2}$  $\int_{a}^{x} dx = \sqrt{\frac{2P}{m}} \int_{a}^{t} t^{1/2} dt$  $x = \sqrt{\frac{2P}{m}} \frac{t^{3/2}}{3/2} = \sqrt{\frac{2P}{m}} \times \frac{2}{3} t^{3/2}$  $=\sqrt{\frac{2\times 1}{2}\times \frac{2}{3}}\times 9^{3/2}$  $=\frac{2}{3} \times 27 = 18$ 

25. A prism of angle A = 1° has a refractive index  $\mu = 1.5$ . A good estimate for the minimum angle of deviation (in degrees) is close to N/ 10. Value of N is \_\_\_\_\_.

Official Ans. by NTA (5.00)

**Sol.** 
$$\delta_{\min} = (\mu - 1) A$$
  
= (1.5 - 1)1  
= 0.5  
 $\delta_{\min} = \frac{5}{2}$