

Chapters	Important Formulas
HCF & LCM	$a \times b = \text{HCF}(a,b) \times \text{LCM}(a,b)$
	For fractions: $\text{HCF} = \frac{\text{HCF of numerators}}{\text{LCM of denominators}}, \quad \text{LCM} = \frac{\text{LCM of numerators}}{\text{HCF of denominators}}$
Factors	If $n = p_1^{a_1} \times p_2^{a_2} \times p_3^{a_3} \dots$, then: <ul style="list-style-type: none"> • Number of factors: $(a_1 + 1)(a_2 + 1)(a_3 + 1) \dots$ • Sum of factors: $(1 + p_1 + p_1^2 + \dots + p_1^{a_1})(1 + p_2 + \dots + p_2^{a_2}) \dots$ • Product of factors: $n^{(\text{number of factors})/2}$
Remainders (Modulo Arithmetic)	<ul style="list-style-type: none"> • $(a+b) \bmod m = [(a \bmod m) + (b \bmod m)] \bmod m$ • $(a-b) \bmod m = [(a \bmod m) - (b \bmod m)] \bmod m$ • $(a \times b) \bmod m = [(a \bmod m) \times (b \bmod m)] \bmod m$
	Fermat's theorem: If p is prime and a not divisible by p , then $a^{p-1} \equiv 1 \pmod{p}$
	Euler's theorem: $a^{\phi(n)} \equiv 1 \pmod{n}$ where $\phi(n)$ = Euler's totient function.
Euler's Totient Function	If $n = p_1^{a_1} p_2^{a_2} \dots$, $\phi(n) = n \left(1 - \frac{1}{p_1}\right) \left(1 - \frac{1}{p_2}\right) \dots$
Base System	Converting number from base b to decimal: $(d_k d_{k-1} \dots d_1 d_0)_b = d_k b^k + d_{k-1} b^{k-1} + \dots + d_1 b + d_0$
Properties of Numbers	<ul style="list-style-type: none"> • Even \times Even = Even, Even \times Odd = Even, Odd \times Odd = Odd • Even \pm Even = Even, Odd \pm Odd = Even, Even \pm Odd = Odd
Sum of Series	First n natural number $\frac{n(n+1)}{2}$
	Sum of Squares $\frac{n(n+1)(2n+1)}{6}$

	Sum of Cubes $\left(\frac{n(n+1)}{2}\right)^2$
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